

# **Political Economy and Trade Policy**

# Motivation

- When asked “why no free trade?”, most international economists respond “it must be politics”
- In representative democracies, trade policy shaped not only by general electorate, but by special interests that lobby for what may be socially costly policies
- Two key approaches to modeling political process:
  - *political competition*: parties announce policies they will implement if elected (Magee *et al.*, 1989)
  - *political support*: incumbent governments set policies to maximize political support (Stigler, 1971)
- Grossman and Helpman (1994) adopt latter approach in order to explain structure of trade protection

# The Model

- Small economy where all individuals have identical preferences, but different factor endowments; each maximizes utility:

$$u = x_0 + \sum_{i=1}^n u_i(x_i) \quad (1)$$

where  $x_0$  is consumption of good 0, and  $x_i$  consumption of goods  $i=1,2,\dots,n$

- Good 0 is *numeraire* with world and domestic price of 1;  $p_i^*$  is world price of good  $i$ , and  $p_i$  is domestic price
- Individual spending  $E$  consumes  $x_i = d_i(p_i)$  of  $i$ , and expenditure on *numeraire* good is:

$$x_0 = E - \sum_i p_i d_i(p_i)$$

# The Model

- Indirect utility takes form:

$$V(p, E) = E + s(p) \quad (2)$$

where  $p = (p_1, p_2, \dots, p_n)$  is vector of domestic prices, and consumer surplus is,  $s(p) \equiv \sum_i u_i[d_i(p_i)] - \sum_i p_i d_i(p_i)$

- Good 0 produced from labor alone under constant returns with input-output coefficient of 1, labor supply being large enough that wage rate equals one
- Production of  $x_i$  uses labor and sector-specific inputs under constant returns, where specific factors are inelastic in supply
- With wage rate fixed, aggregate reward to specific factor in  $i$  depends on domestic price of  $i$ ,  $\pi_i(p_i)$

# The Model

- Government can implement trade taxes and subsidies, driving wedge between domestic and world prices; net revenue/capita from all taxes and subsidies:

$$r(p) = \sum_i (p_i - p_i^*) \left[ d_i(p_i) - \frac{1}{N} y_i(p_i) \right] \quad (3)$$

where  $N$  is total voting population, and domestic output of good  $i$  is  $y_i(p_i) = \pi'_i(p_i)$

- Government redistributes revenue uniformly to all voters,  $r(p)$  is net transfer to each one
- Typical individual derives income from wages and transfers, plus that from ownership of sector-specific inputs – income tied to production of good  $i$ , hence they have direct stake in trade taxes/subsidies

# The Model

- In some set of sectors  $L$ , specific-factor owners organize into lobbies making political contributions; remaining sectors/individuals make no contributions
- Lobby in sector  $i$  makes contribution contingent on trade-policy vector of government;  $C_i(p)$  is contribution schedule of  $i$ , designed to maximize total welfare of members, i.e., income plus surplus less contributions
- Joint welfare of lobby  $i$  is  $V_i = W_i - C_i$  where  $W_i$  is gross-of-contributions joint welfare:

$$W_i(p) \equiv \ell_i + \pi_i(p_i) + \alpha_i N[r(p) + s(p)] \quad (4)$$

where  $\ell_i$  is total labor supply (income) of owners of specific factors used in  $i$  and  $\alpha_i$  is share of population owning some of that factor

# The Model

- Contributions can be used to finance campaign spending, and voters more likely to re-elect government delivering high standard of living

- Government objective function is:

$$G = \sum_{i \in L} C_i(p) + aW(p) \quad a \geq 0 \quad (5)$$

$W$  is aggregate, gross-of-contributions welfare, i.e., aggregate income plus trade tax revenues plus consumer surplus:

$$W(p) \equiv \ell + \sum_{i=1}^n \pi_i(p_i) + N[r(p) + s(p)] \quad (6)$$

- Two-stage non-cooperative game where lobbies simultaneously choose contribution schedules in first stage, government sets policy in second stage

# Structure of Protection

- Result expressed in terms of *ad valorem* taxes/subsidies, i.e.,  $t_i^0 \equiv (p_i^0 - p_i^*) / p_i^*$
- Government chooses taxes and subsidies satisfying:

$$\frac{t_i^0}{1+t_i^0} = \frac{l_i - \alpha_L}{a + \alpha_L} \left( \frac{z_i^0}{e_i^0} \right) \quad \text{for } i=1,2,\dots,n$$

where  $z_i^0 = y_i(p_i^0) / m_i(p_i^0)$  is equilibrium ratio of domestic output to imports, and elasticity of import demand is  $e_i^0 = -m'_i(p_i^0)p_i^0 / m_i(p_i^0)$



# Structure of Protection

- ***Ceteris paribus*, industries with high import demand elasticities (in absolute value), have smaller *ad valorem* deviations from free trade**
- **This result follows for two reasons:**
  - **government bears political cost from creating deadweight loss (if  $a > 0$ ); hence, it will prefer to raise contributions from sectors where cost is low**
  - **even if  $a = 0$ , if  $\alpha_L > 0$ , members of lobbies as a group bear deadweight loss from trade policy; owners of specific factors in industries other than  $i$  bid to avoid protection in  $i$ , the greater the social cost**

# Structure of Protection

- **Deadweight loss issues modified by political variables in determination of equilibrium structure of protection:**
  - **all sectors with lobbies protected by import tariffs/export subsidies, and sectors without representation face import subsidies and export taxes; i.e., organized lobbies raise prices where they get profit income, and lower prices of goods they consume**
  - **political power of organized lobbies reflected in ratio of domestic output to imports – with large domestic output, specific-factor owners gain from price increase; but, for a given import demand elasticity, economy has little to lose from protection when import volume is low**

# Structure of Protection

- the less weight attached to aggregate welfare compared to campaign financing, the larger are trade taxes/subsidies; however, even if  $a=0$ , interest groups will not want distortions to grow too large
- as share of voters that are members of lobby increases, rates of protection for organized industries decline; in limit if all voters are in lobby ( $\alpha_L=1$ ) and all lobbies are represented ( $l_i=1$  for all  $i$ ), free trade prevails in all markets – groups neutralize each other
- if all interest-group members are small fraction of voting population, ( $\alpha_L=0$ ) no trade taxes/subsidies applied to goods not represented by a lobby ( $l_i=0$ ) – when political contributors are few, stand little to gain from intervention in sectors other than their own

# Motivation

- Evidence suggest industries experiencing losses more likely to get protection, e.g., Trefler (1993) finds it is higher where import penetration has increased
- Not consistent with models predicting protection should be applied to expanding sectors
- Freund and Özden (2008) construct political support model where preferences display behavioral characteristics such as loss aversion and reference dependence
- Changes dynamics of protection: *standard effect* – protection is increasing in output of domestic industry; *behavioral effect* – protection increases after negative shock

# Model

- Specific-factors model with lobbying for protection and incorporate behavioral assumptions
- Key insight is that welfare is dependent on both *current* state and *change* in states; following Kahneman and Tversky (1991):
  - *reference dependence*: gains and losses relative to reference point matter
  - *loss aversion*: losses have larger effect on welfare than gains
  - *diminishing sensitivity*: marginal value of gains and losses decrease with their size
- Introduce elements into Grossman and Helpman (1994)

# Trade Policy

**Optimal trade tax is:**

$$\frac{t_i^0}{1+t_i^0} = \frac{(l_i - \alpha_L) + \left[ (a + l_i) h' \left( \frac{\pi(\bar{p}_i) - \pi(p_i)}{\alpha_L N} \right) \right]}{a + \alpha_L} \left( \frac{z_i^0}{e_i^0} \right)$$

**Behavioral term [.] has important implications – even if all sectors are organized ( $l_i=1$ ), and everyone is in a lobby group ( $\alpha_L=1$ ), trade is still distorted if some agents experience loss aversion at free trade:**

$$\frac{t_i^0}{1+t_i^0} = h'(\cdot) \left( \frac{z_i^0}{e_i^0} \right)$$

# Protection of US Steel Sector

- Freund and Özden argue US steel industry is one where loss aversion has mattered:
  - protection in 1980s and early-1990s prevented domestic prices falling below reference price
  - move away from compensating protection in late-1990s as world prices fell further and US firms lost market share
  - loss-making sector of industry, high-cost integrated steel mills, lobbied for protection
- Incorporating loss aversion and reference dependence into utility functions helps explain structure and dynamics of protection