

# **Monopolistic Competition and Trade**

# Empirical phenomenon of intra-industry trade

- Neoclassical trade theory predicts *inter-industry* trade based on differences in technology and/or factor endowments
- Empirical analysis of European Economic Community (EEC) found evidence for *intra-industry trade* (IIT)
- Early work focused on measurement, Balassa (1965), Grubel and Lloyd (1975)
- Overlap in trade flows, i.e., Grubel and Lloyd index:

$$GL^j = 1 - \frac{|X^j - M^j|}{(X^j + M^j)} \quad 0 \leq GL^j \leq 1$$

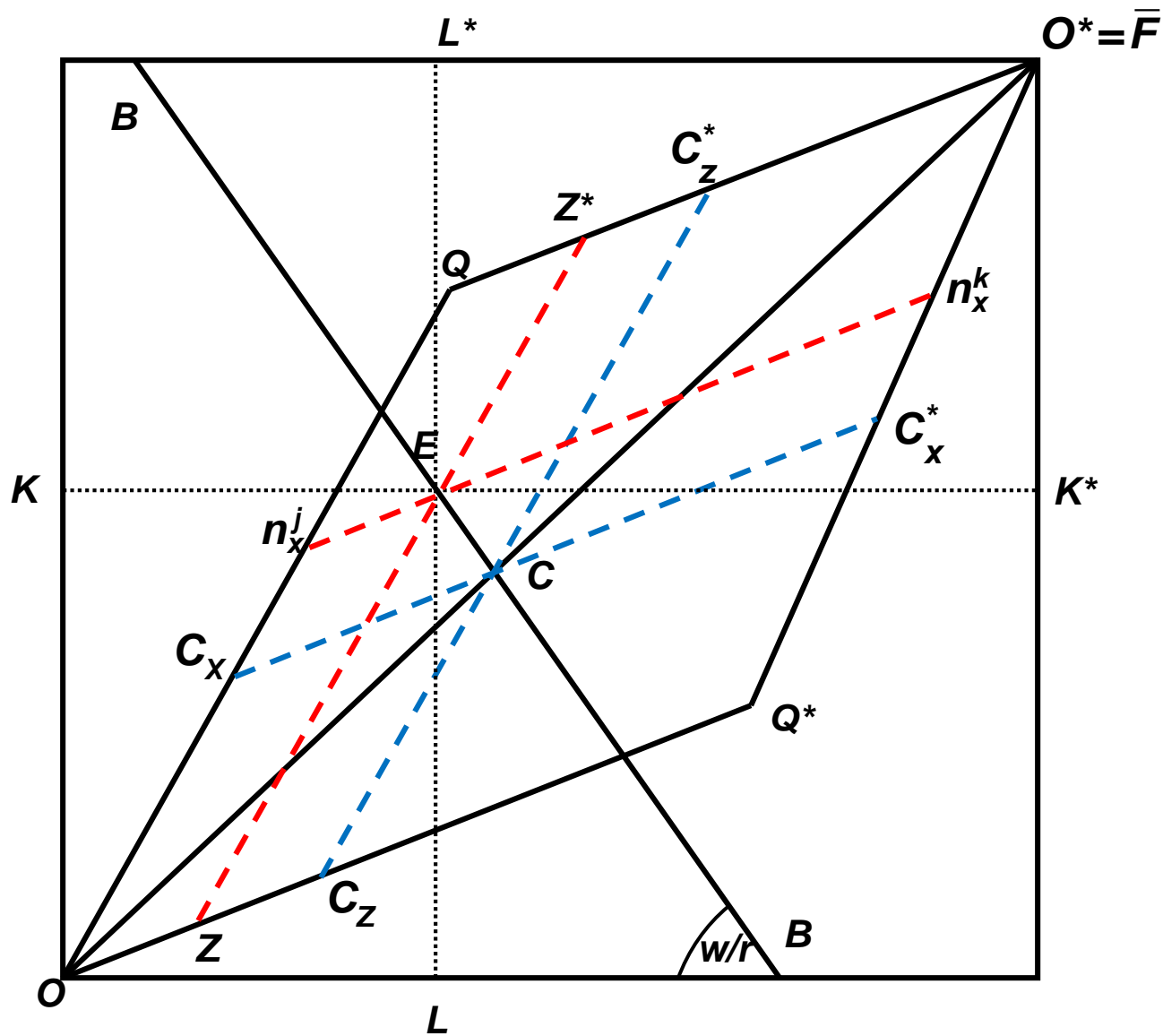
# **Monopolistic competition and trade**

- **Observed IIT a key challenge to neoclassical orthodoxy (Leamer, 1992)**
- **Monopolistic competition has become standard model for rationalizing IIT**
- **Different models based on preference structure:**
  - **Krugman (1979;1980) uses Dixit and Stiglitz's (1977) “love of variety” approach to preferences**
  - **Helpman (1981) uses Lancaster's (1977) “characteristics” approach to preferences**
- **General equilibrium version of model developed by Helpman and Krugman (1985)**

# Monopolistic competition and trade

- Assume two countries  $j$  and  $k$ , two factors,  $K$  and  $L$ , two industries: competitive  $Z$  producing homogeneous good under constant returns, and monopolistically competitive  $X$  producing  $n_x$  varieties under increasing returns
- Figure 1 shows combined factor endowments of  $j$  and  $k$ , where with full employment,  $\bar{F}$  is fully utilized,  $OQ$  of resources used in  $X$ , and  $OQ^*$  used in  $Z$ , and vector  $OO^*$  can be interpreted as world GDP,  $Y^w$
- Define  $OQO^*Q^*$  as factor-price equalization set (FPE), if endowment is  $E$ , country  $j$  devotes  $On_x^j$  resources to  $X$  and  $OZ$  to  $Z$

Figure 1: Trade Equilibrium



# Monopolistic competition and trade

- **$BB$  through  $E$ , with slope of  $w/r$  gives income levels of  $Y^j=OC$  and  $Y^k=CO^*$  on diagonal  $OO^*$ , all income going to factors and spent on consumption**
- **$C_x$  and  $C_z$  are consumption of  $X$  and  $Z$  by country  $j$ , and there is simultaneous inter and intra-industry trade:**
  - **$j$  imports  $Z$  from  $k$ , and is net-exporter  $(n_x^j - C_x)$  of  $X$**
  - **$k$  exports  $Z$  to  $j$ , and is net-importer  $(C_x^* - n_x^k)$  of  $X$**
  - **Net trade flows in  $X$  occur because  $n_x^j > n_x^k$**
- **Capital-abundant country  $j$  is net-exporter of capital-intensive good, and labor-abundant country  $k$  exports labor-intensive good (H-O model)**

# Monopolistic competition and trade

- Key empirical prediction: share of IIT larger between countries that are similar in terms of factor endowments and relative size
- Helpman's (1987) results support prediction using 4-digit SITC data for 14 OECD countries over period 1970-81:

$$(1) \quad GL^{jk} = \alpha + \beta_1 \log \left[ \frac{Y^j}{N^j} \right] - \left[ \frac{Y^k}{N^k} \right] + \beta_2 \min(\log Y^j, \log Y^k) \\ + \beta_3 \max(\log Y^j, \log Y^k) + \mu^{jk}, \quad \beta_1 < 0, \beta_2 > 0, \beta_3 < 0$$

- Hummels and Levinsohn (1995) re-ran (1) for 1962-83 with GDP/worker – replicated Helpman

# Monopolistic competition and trade

- Key empirical prediction: volume of trade as share of GDP increases as countries become more similar in size – assuming structure of monopolistic competition
- Helpman's (1987) results support prediction with data for 14 OECD countries over period 1956-81:

$$(2) \quad \frac{V^A}{Y^A} = e_A \left[ 1 - \sum_{j \in A} (e_A^j)^2 \right]$$

where for country group  $A$ ,  $V^A$  is volume of trade,  $Y^A$  is aggregate GDP,  $e^A$  is share of world GDP, and  $e_A^j$  is share of  $j$ 's GDP in  $A$ 's GDP

- Right-hand side of (2) is measure of size dispersion – increases as countries become more similar in size



# Empirical evaluation of monopolistic competition story

- (2) is a form of gravity model – but it seems to fit trade in both differentiated and homogeneous goods
- Empirical issue becomes one of determining which theoretical model works best in a given data sample (Evenett and Keller, 2002)
- Gravity equation predicts volume of trade between two countries will be proportional to their GDPs and inversely related to any trade barriers between them – typical specification:

$$(3) \quad T^{jk} = \beta_0 (Y^j)^{\beta_1} (Y^k)^{\beta_2} (D^{jk})^{\beta_3} (A^{jk})^{\beta_4} u^{jk}$$

# Empirical evaluation of monopolistic competition story

- Evenett and Keller derive theoretical restrictions on country income parameters that form basis of hypothesis testing
- Use model similar to Helpman and Krugman, allowing for differing degrees of specialization:
- Case 1: Perfect specialization  $X$  and  $Z$  differentiated

$s^c$  is country  $c = j, k$  share of world spending,  $X^c$  ( $Z^c$ ) is equilibrium quantity of variety  $X$  ( $Z$ ),  $Y^c$  is GDP, world GDP is  $Y^w = Y^j + Y^k$ , and let good  $Z$  be *numeraire*, where  $p^z=1$ , so that relative price of variety  $X$  is  $p^x$

# Empirical evaluation of monopolistic competition story

- Assuming balanced trade, where  $s^c = Y^c/Y^w$ , both countries demand all varieties according to their share of world GDP, imports being given as:

$$(4) \quad M^{jk} = s^j [p_x n_x^k x^k + n_z^k z^k]$$

$$(5) \quad M^{kj} = s^k [p_x n_x^j x^j + n_z^j z^j]$$

where terms in brackets are GDP of  $k$  and  $j$  respectively, therefore:

$$(6) \quad M^{jk} = s^j Y^k = \frac{Y^j Y^k}{Y^w} = s^k Y^j = M^{kj}$$

i.e., gravity equation, imports being proportional to GDP

# Empirical evaluation of monopolistic competition story

- Case 2: Perfect specialization,  $X$  and  $Z$  homogeneous

Assume  $X$  is capital-intensive and  $Y$  labor-intensive,  $j$  being relatively well-endowed in capital, and  $k$  in labor

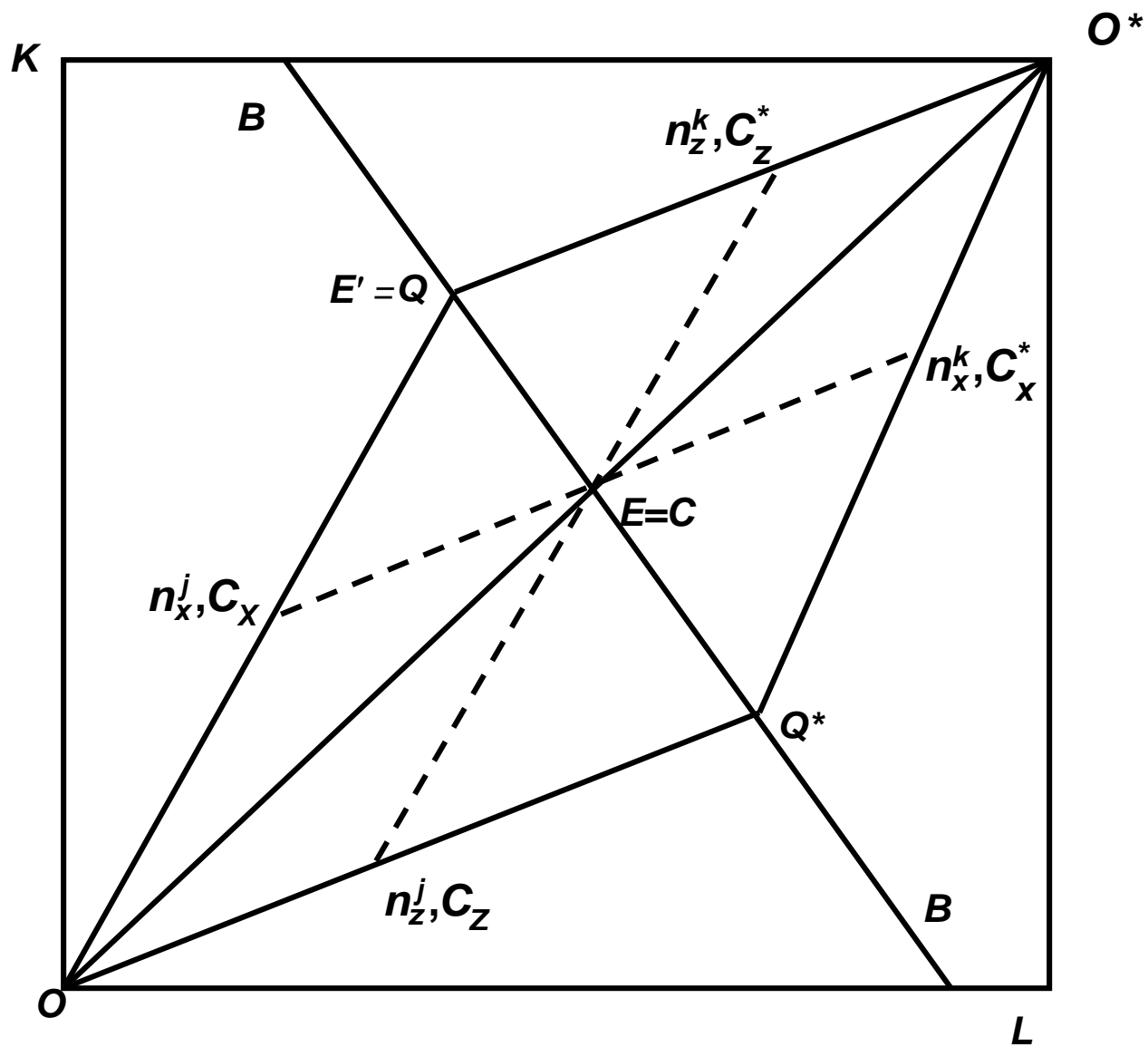
With perfect specialization,  $X^c$  production of  $X$ ,  $Z^c$  of  $Z$ ,  $X^j = X^w$ , and  $Z^k = Z^w$ , and value of production is GDP,  $p_x X^j = Y^j$  and  $Z^k = Y^k$ , therefore:

$$(7) \quad M^{jk} = s^j Z^k = s^j Y^k = \frac{Y^j Y^k}{Y^w}, \quad M^{kj} = s^k p_x X^j = s^k Y^j = \frac{Y^j Y^k}{Y^w}$$

Identical to (6), and again imports are proportional to GDP - known as *multi-cone* H-O model

Both equilibria can be described in figure 2

Figure 2: Perfect Specialization



# Empirical evaluation of monopolistic competition story

- Case 3: Imperfect specialization  $X$  differentiated and  $Z$  homogeneous

Assume  $X$  is capital-intensive and  $Y$  labor-intensive,  $j$  being relatively well-endowed in capital, and  $k$  in labor

For endowments inside FPE, volume of bilateral trade:

$$(8) \quad T^{jk} = s^k p_x X^j + s^j p_x X^k + (Z^k - s^k Z^w)$$

where first term on right-hand side is  $j$ 's exports, other terms are its imports of other varieties of  $X$  and good  $Z$ , i.e.  $M^{jk}$

# Empirical evaluation of monopolistic competition story

- Suppose  $\gamma^j = Z^j / p_x X_j + Z_j$ , share of  $Z$  in  $j$ 's GDP, and also  $(1 - \gamma^j)$  share of  $X$  in  $j$ 's GDP

With balanced trade,  $M^{kj} = s^k p_x X^j$ , then  $M^{kj} = s^k (1 - \gamma^j) Y^j$

Gravity equation (6) can be rewritten as:

$$(9) \quad M^{jk} = (1 - \gamma^j) \frac{Y^j Y^k}{Y^w}$$

Compared to (6), implies bilateral imports lower than case where both goods are differentiated, and volume of trade higher, the lower is share of  $Z$  in GDP

# Empirical evaluation of monopolistic competition story

- Case 4: Imperfect specialization,  $X$  and  $Z$  homogeneous

Volume of bilateral trade:

$$(10) \quad T^{jk} = p_x (X^j - s^j X^w) + (Z^k - s^k Z^w)$$

where first term on right-hand side is  $j$ 's exports, and second term are its imports, and  $M^{jk} = M^{kj}$

Given  $X^w = (X^j + X^k)$ ,  $M^{jk}$  can be rewritten as:

$$M^{jk} = (1 - \gamma^j) Y^j - s^j (1 - \gamma^j) Y^j - s^j (1 - \gamma^k) Y^k$$

and with  $s^k = (1 - s^j)$ , this becomes:

$$M^{jk} = s^k (1 - \gamma^j) Y^j - s^j (1 - \gamma^k) Y^k$$



# Empirical evaluation of monopolistic competition story

- The gravity equation becomes:

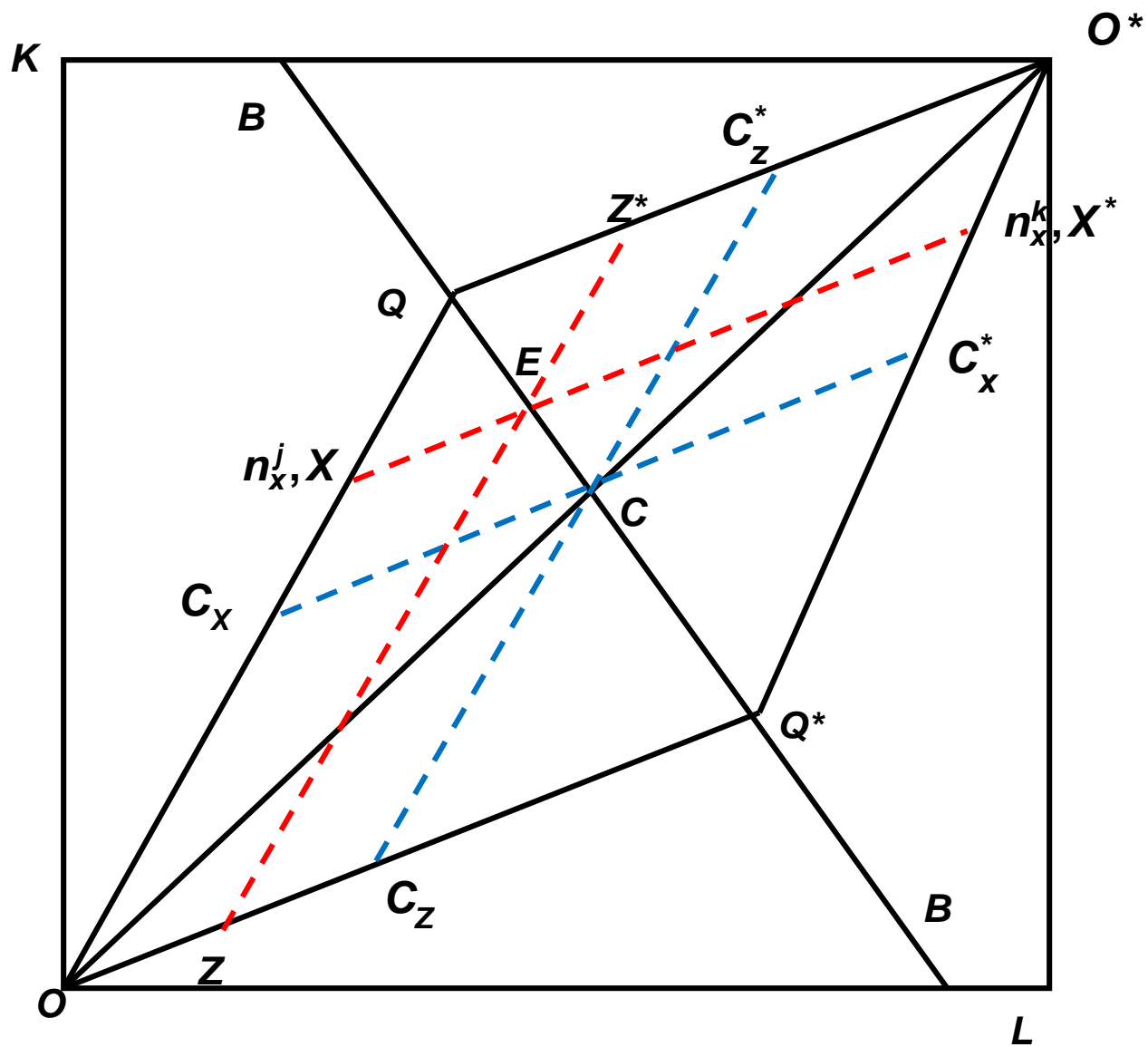
$$(11) \quad M^{jk} = (\gamma^k - \gamma^j) \frac{Y^j Y^k}{Y^w}$$

As capital-labor ratios of two countries converge, so that  $\gamma^k \rightarrow \gamma^j$ , and in the limit, no trade when  $\gamma^k = \gamma^j$

If  $\gamma^k = 0$ , and  $\gamma^j = 1$ , (7) is special case of (11)

- (9) and (11) are illustrated in figure 3, i.e., either intra-industry trade in  $X$ , inter-industry in  $X$  and  $Z$ , or inter-industry trade in  $X$  and  $Z$  (*uni-cone* H-O model)

Figure 3: Imperfect Specialization



# Empirical evaluation of monopolistic competition story

- Evenett and Keller tested these 4 versions of gravity model based on classifying 1985 4-digit SITC data for 58 countries into differentiated vs. homogeneous goods
- Perfect specialization:

$$(12) \quad M_{\nu}^{jk} = \alpha_{\nu} \frac{Y_{\nu}^j Y_{\nu}^k}{Y_w} + \mu_{\nu}^{jk}, \quad \alpha_{\nu} = 1$$

Sample split into high and low IIT samples:

- high IIT sample,  $\alpha_{\nu} = 0.087$
- low IIT sample,  $\alpha_{\nu} = 0.052$

i.e., perfect specialization in either differentiated or homogeneous goods over-predicts bilateral trade

# Empirical evaluation of monopolistic competition story

- Imperfect specialization with differentiated and homogeneous goods:

$$(13) \quad M_v^{jk} = (1 - \psi_v^j) \frac{Y_v^j Y_v^k}{Y^w} + \mu_v^{jk}, \quad (1 - \psi_v^j) < 1$$

Estimated for cases where  $j(k)$  is capital-abundant, median value of  $(1 - \psi_v^j) = 0.086$

- Imperfect specialization with homogeneous goods:

$$(14) \quad M_v^{jk} = (\psi_v^j - \psi_v^k) \frac{Y_v^j Y_v^k}{Y^w} + \mu_v^{jk}, \quad (\psi_v^j - \psi_v^k) < 1$$

Estimated for cases where  $j(k)$  is capital-abundant, median value of  $(\psi_v^j - \psi_v^k) = 0.04$

# **Empirical evaluation of monopolistic competition story**

- **Evenett and Keller conclude:**
  - **perfect specialization in increasing returns and multi-cone model over-predicts bilateral trade**
  - **mixed support for increasing returns model with imperfect specialization**
  - **uni-cone H-O model works well**
- **Overall, both factor endowments and scale economies can explain different components of variations in production and trade**