

# QUALITY UPGRADING, TRADE, AND MARKET STRUCTURE IN FOOD-PROCESSING INDUSTRIES

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# Motivation – Quality Matters

- Quality an important determinant of trade flows (Linder 1961)
  - ▣ Schott (2004), Hummels & Klenow (2005), Hallack (2006)
  - ▣ Manova & Zhang (2012) show successful exporting firms in China use higher-quality intermediate inputs to produce higher-quality goods and firms vary quality of products across destination markets
  - ▣ Vertical product differentiation matters!

# Motivation – Food Markets

- Food markets no longer characterized by homogenous products (Sexton 2013)
  - ▣ Food quality matters for both consumers and producers
  - ▣ Sunk costs related to production capacity and product quality matter
- Curzi, Raimondi & Olper (2014) investigate impact of trade liberalization on food product-quality
  - ▣ Trade liberalization in exporting countries leads to faster upgrading of product quality for products closer to technology frontier

# Goals of Analysis

- Use modified heterogeneous-firms framework (Kugler & Verhoogen 2012) to focus on:
  - ▣ Food quality and quality of agricultural inputs (Sexton 2013)
  - ▣ Impact of trade liberalization on food product-quality (Curzi *et al* 2014)
  - ▣ Ability of firms to upgrade quality of final goods
- Test in both the theoretical and empirical context

# Model – Consumers and Firms

- Consumers maximize CES utility with quality preferences
- The intermediate agricultural good market is perfectly competitive, so  $p_I(c) = c$ .
- Food processors (final good producers) require fixed costs to obtain a capability draw, enter market, and export. Capability  $\lambda$  follows Pareto distribution  $G(\lambda) = 1 - \left(\frac{\lambda_m}{\lambda}\right)^k$ ,  $0 < \lambda_m \leq \lambda$ .

# Model – Firms

- Firms use inputs of capability, intermediate agricultural input and composite input  $\phi$  of a specific quality
  - $\phi$  : additional *tangible* input that affects firm quality choice, i.e., capital equipment required to ensure quality control
- Final good producer also incurs trade costs  $\tau$  when they export

# Model - Firms

- Food processors constrained by quality choice
  - ▣ Inputs as complements in determining quality of good (Kremer 1993; Kugler & Verhoogen 2012)

$$q = \left[ \frac{1}{3} (\lambda^b)^\beta + \frac{1}{3} (\phi^3)^\beta + \frac{1}{3} (c^3)^\beta \right]^{\frac{1}{\beta}}$$

- Importance of  $b$  :
  - ▣  $b$  is the scope of product-quality differentiation, approximating fixed costs of investment required to translate capability into quality
    - Additional channel impacting firms' quality choices

# Comparative Statics from Equilibrium

- Profit maximization subject to quality constraint yields the following comparative statics:

$$(1a) \quad \frac{\partial \ln q^*}{\partial \tau} = \frac{b(1-\sigma)Z\tau^{-\sigma}}{\eta(1+Z\tau^{1-\sigma})^2} < 0$$

$$(1b) \quad \frac{\partial \ln q^*}{\partial b} = \ln \lambda > 0$$

$$(1c) \quad c^*(\lambda) = \phi^*(\lambda) = \lambda^{\frac{b}{3}}$$



# Comparative Statics

- Impact of various parameters on the firm's quality choice:
  - ▣ Falling trade costs allow firms to produce higher-quality goods
  - ▣ Firms better able to translate capability into quality produce higher-quality goods
  - ▣ All inputs are complementary: to increase final good quality, all input qualities must be increased

# Comparative Statics

- Comparative statics examining impact of trade liberalization and ability to translate capability on export and market entry cutoff points

$$(2a) \quad \frac{\partial \lambda^*}{\partial \tau} = \frac{k(1-\sigma)}{\eta} \lambda_m \frac{f\eta}{\delta f_e (k-\eta)} \left(\frac{f}{f_x}\right)^{\frac{k-\eta}{\eta}} \tau^{\frac{k(1-\sigma)-\eta}{\eta}} < 0$$

$$(2b) \quad \frac{\partial \lambda_x^*}{\partial \tau} = \frac{\sigma-1}{\eta} \lambda^* \left(\frac{f_x}{f}\right)^{\frac{1}{\eta}} \tau^{\frac{(\sigma-1)-\eta}{\eta}} > 0$$

- (2a-b) state that falling trade costs induce most productive non-exporting firms to enter export market, and least productive firms forced out of market, as exporting firms now capture larger market share
  - Classic heterogeneous-firms result (see Melitz 2003)

# Comparative Statics

- Comparative statics examining impact of trade liberalization and ability to translate capability on export and market entry cutoff points

$$(3a) \quad \frac{\partial \lambda^*}{\partial b} = 3k\tau^{\frac{-k}{b+a}} \left( \frac{\lambda_m f}{\delta f_e} \right) \frac{\left[ \left( \ln \left( \frac{f}{f_X} \right) - (\sigma - 1) \ln(\tau) \right) \left( \frac{f}{f_X} \right)^{\frac{k}{\eta}} \Lambda - \rho \left( \left( \frac{f}{f_X} \right)^{\frac{k-\eta}{\eta}} + \tau^{\frac{-k}{3a+b}} \right) \right]}{\rho \Lambda^2}$$

$$(3b) \quad \frac{\partial \lambda_x^*}{\partial b} = -\lambda^* \left[ \frac{\sigma - 1}{3\eta^2} \left( \frac{f}{f_X} \right)^{\frac{1}{\eta}} \tau^{\frac{\sigma-1}{\eta}} \left( \ln \left( \frac{f}{f_X} \right) + (\sigma - 1) \ln(\tau) \right) \right]$$

$$\rho = \left( \frac{f}{f_X} \right) (3a + b), \Lambda = 3(\eta - k)$$

- These results are ambiguous in sign due to other parameters

# Comparative Statics

- (3a) sign dependent on
  - When  $k < \eta + \gamma$ , then  $\frac{\partial \lambda^*}{\partial b} < 0, \gamma > 0$ .
  - When  $k > \eta + \gamma$ , then  $\frac{\partial \lambda^*}{\partial b} > 0$ .
- The impact of  $b$  depends on the shape of the distribution of firms,  $k$ , i.e., market structure
  - When  $k \rightarrow \infty$ , market shares become concentrated; majority of market share held by few firms, with many low-productivity firms occupying rest of market. Thus  $\frac{\partial \lambda^*}{\partial b} > 0$  and vice versa

# Comparative Statics

- (3b) sign dependent on
  - When  $\ln\left(\frac{f}{f_x}\right) + (\sigma - 1)\ln(\tau) > 0$ , then  $\frac{\partial \lambda_x^*}{\partial b} < 0$ .
  - When  $\ln\left(\frac{f}{f_x}\right) + (\sigma - 1)\ln(\tau) < 0$ , then  $\frac{\partial \lambda_x^*}{\partial b} > 0$ .
- Impact of  $b$  depends on extent that  $f_x > f$ . If  $f \rightarrow f_x$ , then export rents outweigh fixed costs given increased  $b$ . If  $f_x \gg f$ , then fixed costs of exporting outweigh export rents, leading to export exit

# Data

- Sources: Chile's *Encuesta Nacional Industrial Annual* (ENIA), an unbalanced panel data set. Industry-level tariff rates from TRAINS database (WITS)
- Sample years: 2001-2007
- Sample size: 11,195 observations, approximately 1,600 food-processing firms per year in the sample

# Data

**Table 1 – Summary Statistics**

<b>Variable</b>	<b>N</b>	<b>Mean</b>	<b>St. Dev</b>
<b>Exporter Status</b>	11195	0.0417	0.200
<b>Quality (q)</b>	11195	0.388	0.301
<b>Freight Costs</b>	11195	0.0126	0.198
<b>Tariff Costs</b>	11195	0.0417	0.0265
<b>Productivity</b>	11195	0.9988	4.520
<b>Export Share</b>	11195	0.114	0.2705
<b>b (ability to translate capability into quality)</b>	11195	0.0459	0.2201
<b>c (quality of agricultural input)</b>	11195	0.114	0.0426
<b><math>\phi</math> (quality of composite input)</b>	11195	0.0179	0.382
<b><math>\ln(\text{LaborCost})</math></b>	11195	11.20	1.541
<b>Size</b>	11195	13.513	1.899

**Note:** Size is constructed as the  $\ln(\text{Gross Value of Production})$

# Empirical Specifications

## □ Quality Choice

$$q = \alpha + \beta_1 c + \beta_2 \phi + \gamma b + \delta \Delta \tau + \mu \lambda + \Gamma(b \cdot \Psi) + \kappa X + \xi_j + \psi_t + \varepsilon$$

## □ Export Entry

$$\Pr(\text{Export}_{i,t+1} = 1 \mid \text{Export}_{i,t} = 0) = \alpha + \beta_1 c + \beta_2 \phi + \gamma b + \delta \Delta \tau + \mu \lambda + \kappa X + \varepsilon$$

## □ Market Exit

$$\Pr(\text{Exit}_{i,t+1} = 1 \mid \text{Exit}_{i,t} = 0) = \alpha + \beta_1 c + \beta_2 \phi + \gamma b + \delta \Delta \tau + \mu \lambda + \Theta(\Delta \tau \cdot \lambda) \\ + \Gamma(b \cdot \Psi) + \kappa X + \varepsilon$$



# Results

<i>Dependent Variable</i>	<b>q</b>	<b>Export Entry</b>	<b>Market Exit</b>
<b>Δ Freight</b>	-0.000205	-0.0869**	-0.0025
<b>Δ Tariff</b>	-0.000834	-0.0742***	0.00977
<b>Δ Freight · TFP</b>	0.000248	0.0222	-0.0303**
<b>Δ Tariff · TFP</b>	-0.000702	-0.0021	-0.000745
<b>c</b>	-0.279**	1.791***	-0.6075
<b>c · b</b>	0.594**		-3.959**
<b>φ</b>	0.151***	0.0291	-0.0133
<b>φ · b</b>	0.059***		0.00393
<b>b</b>	0.00761	0.178**	0.437***
<b>TFP</b>	0.00131	0.016***	-0.00439
<b>TFP · b</b>	0.00797**		-0.4**

# Conclusion

- Theoretical model adapts heterogeneous-firms framework to food-industry context
  - ▣ Firms that remain in market select higher quality given falling trade costs and increased ability to upgrade quality, and use concurrently higher-quality inputs
  - ▣ Trade liberalization forces least productive firms out of market while most productive non-exporters enter export market
  - ▣ Impact of ability to upgrade quality dependent on market structure: distribution of firms in the market and structure of fixed costs matter
- Empirical analysis currently provides evidence that generally supports the model. The quality constraint is typically supported and the estimation of  $b$  tells us about market structure of food-processing industries

# Appendix - Comparative Statics

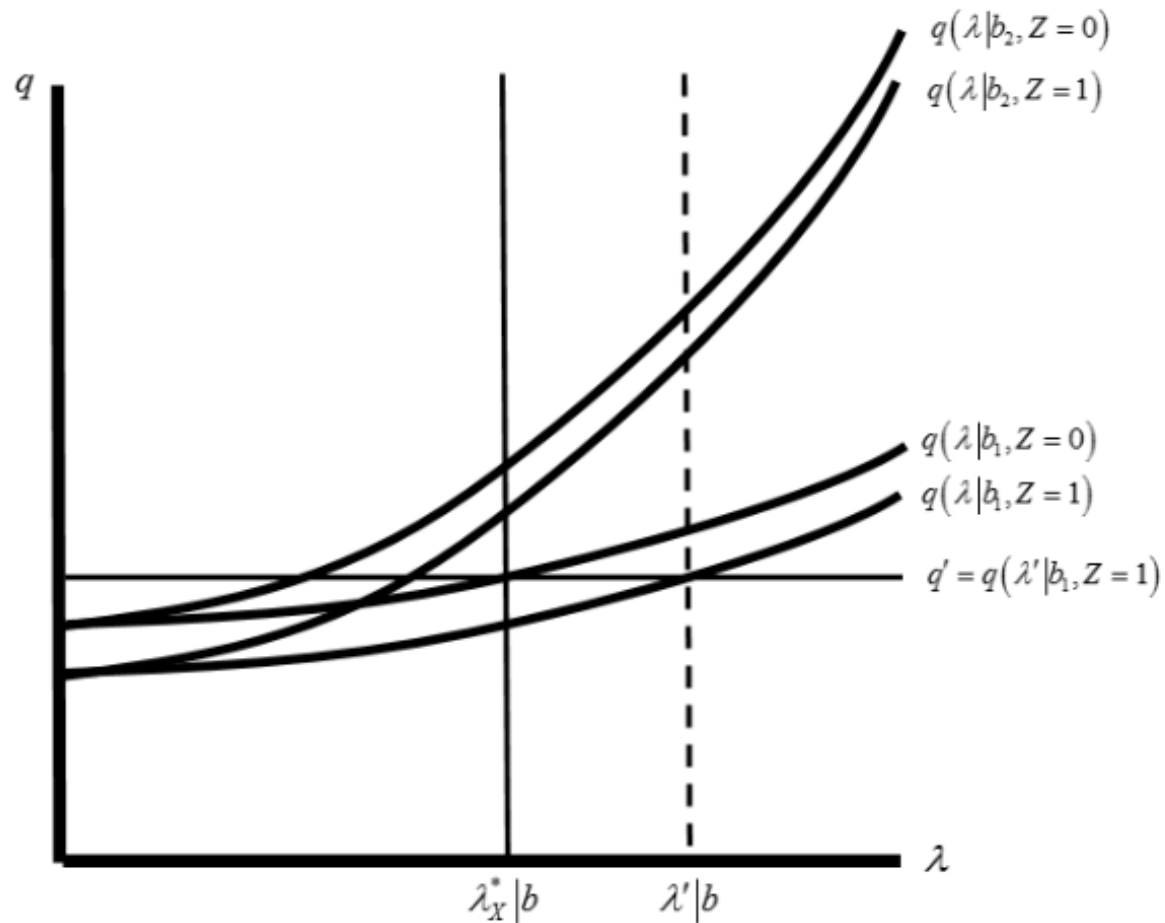
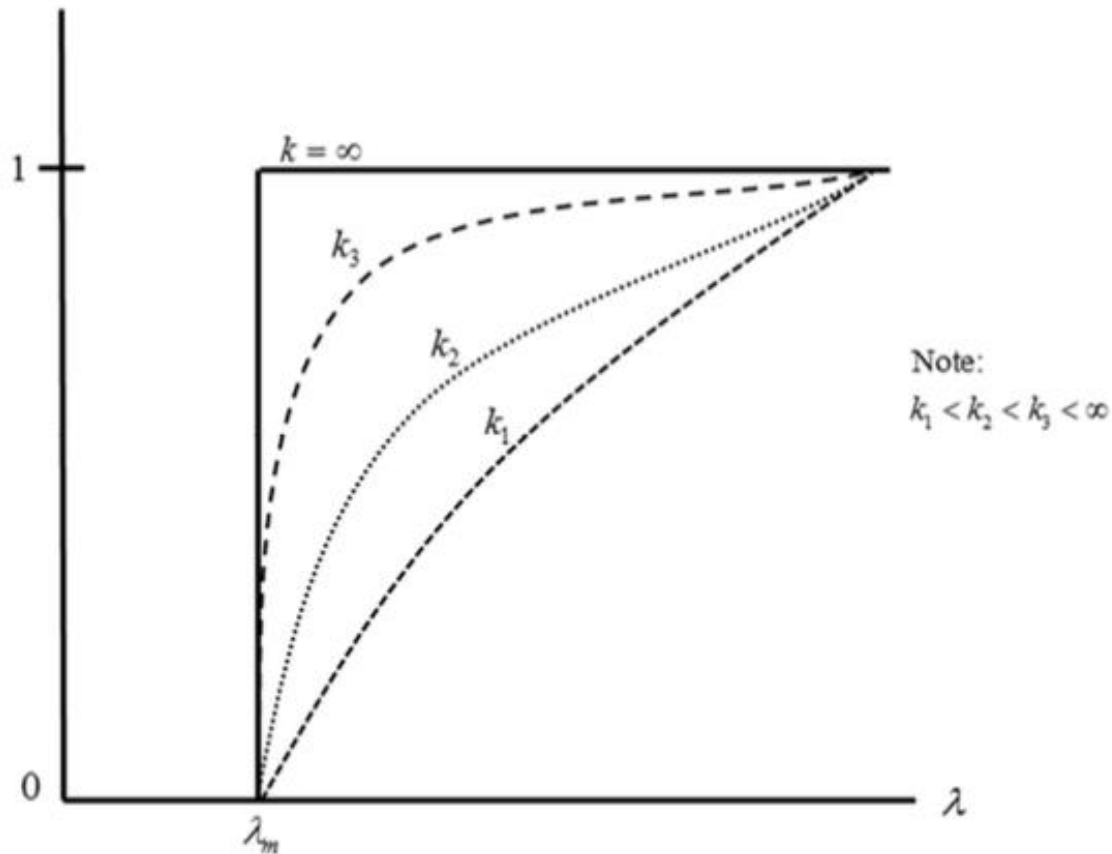


Figure 1: Impact of tariffs and ability to upgrade quality on quality choice

# Appendix - Comparative Statics



**Figure 2: Cumulative distribution of the Pareto distribution, based on  $k$ .**

# Appendix - Data

**Cumulative Distribution of Productivity - All Years**

